

*IAS HKUST workshop*

*10/01/2019*

*Christoph Englert*

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# Three avenues for Higgs phenomenology

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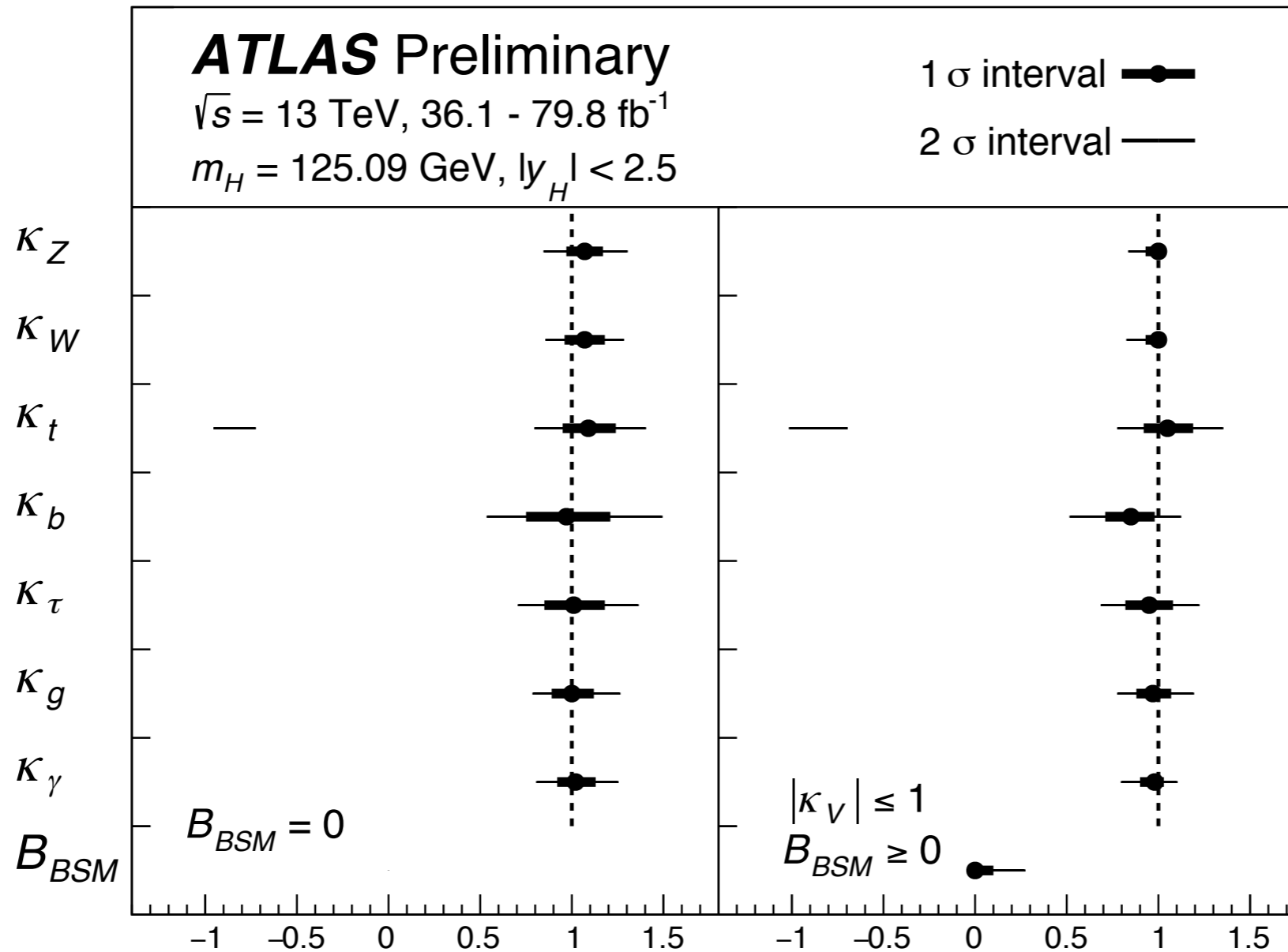


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- 
- ▶ *Improving the expected: SM-like Higgs couplings*
    - ▶ lifting degeneracies in coupling space for expected uncertainties with adversarial machine learning
    - ▶ .....

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    - ▶ .....
  - ▶ *Constraining/observing the unexpected:*
    - ▶ Higgs sector CP violation
    - ▶ .....
  - ▶ *Closing in on new physics in the Higgs sector*
    - ▶ *di-Higgs production as a probe of new physics*
    - ▶ .....

# Status of LHC Higgs measurements



[ATLAS '18]

- ➔ everything is consistent with the SM Higgs hypothesis (so far)  
but what are the implications for new physics?

# Fingerprinting the lack of new physics

the SM is flawed

no evidence for  
exotics

coupling/scale  
separated BSM physics

## Effective Field Theory

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \sum_i \frac{c_i}{\Lambda^2} \mathcal{O}_i + \dots$$

[Buchmüller, Wyler `87]

[Hagiwara, Peccei, Zeppenfeld, Hikasa `87]

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[Grzadkowski, Iskrzynski, Misiak, Rosiek `10]

59 B-conserving operators  $\otimes$  flavor  $\otimes$  h.c., d=6  
2499 parameters (reduces to 76 with  $N_f=1$ )

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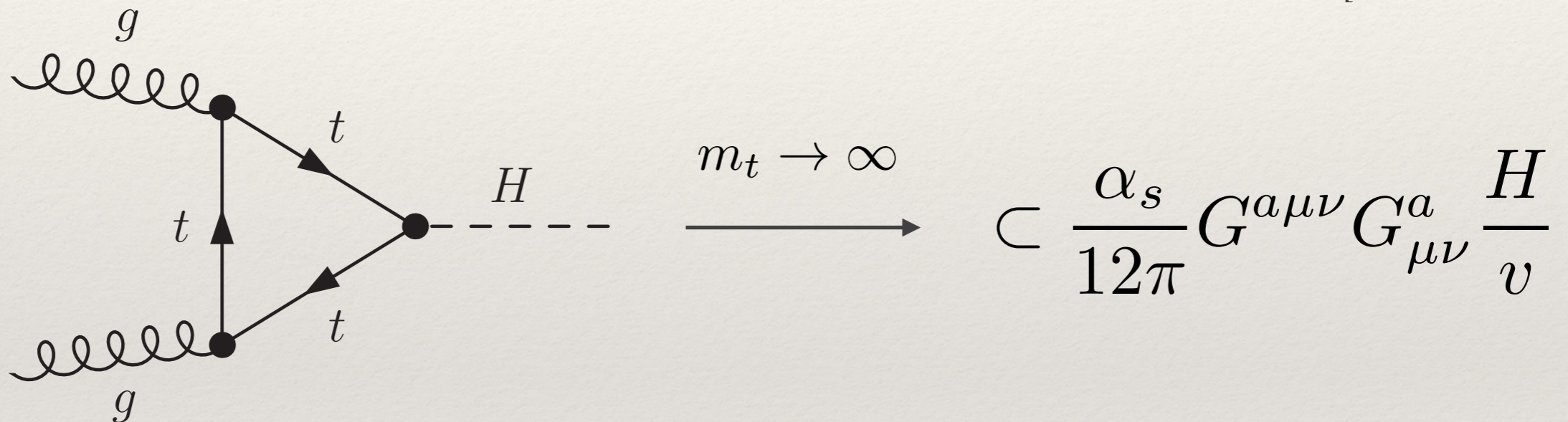
## concrete models

- extended SMEFT
- ( $\mathbb{C}$ ) Higgs portals
- 2HDMs
- (N)MSSM
- compositeness....

# SM-like couplings

- ▶ large number of unconstrained EFT parameters lead to phenomenological degeneracies = “blind directions”
- ▶ one of the most prominent and relevant for Higgs physics

[Ellis et al. `76]  
[Vainstein et al. `70]



contact ggH interactions vs. top Yukawa measurements

- ▶ way out: resolve  $C_0$  function for  $p_T(H) \gtrsim m_t$  with one or more jets

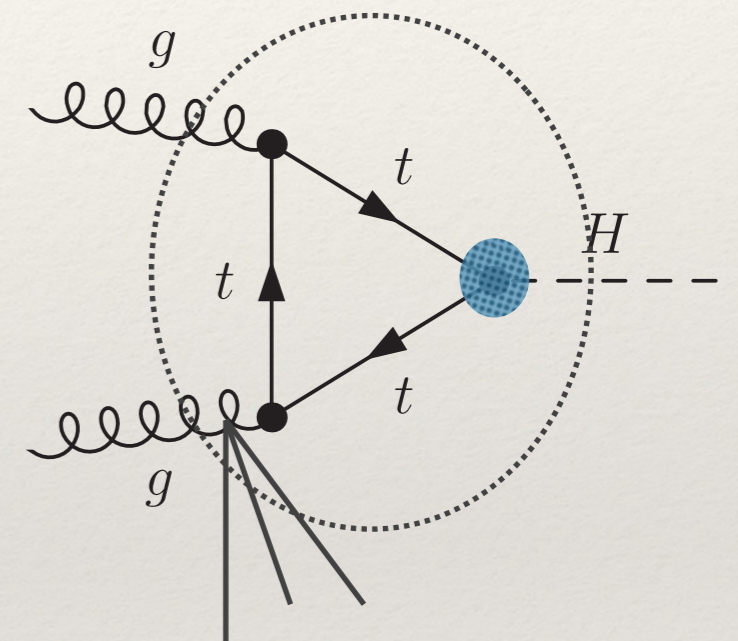
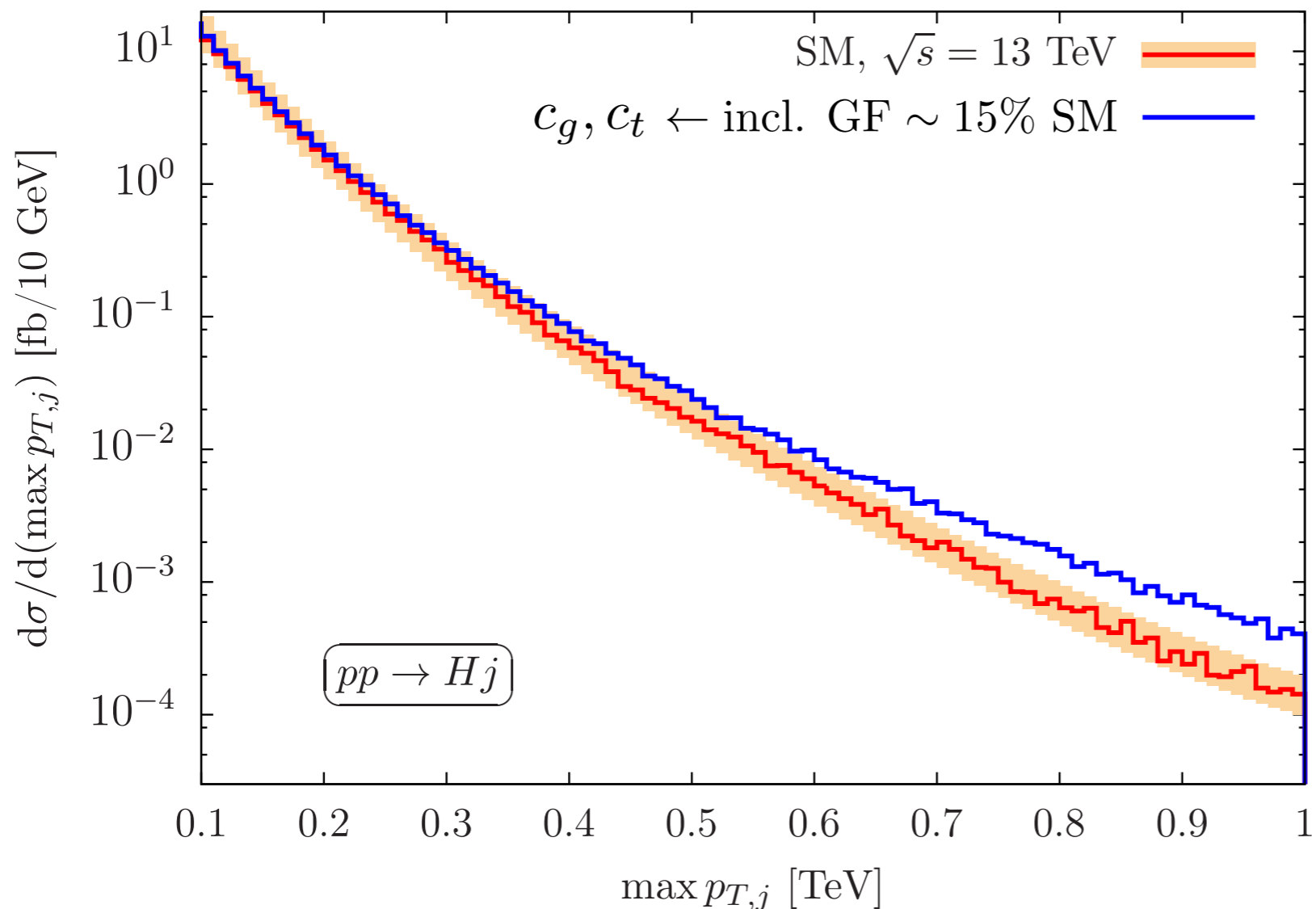
[Banfi, Martin, Sanz `13] [Grojean, Salvioni, Schaller, Weiler `13]

[Schaller et al `14] [Buschmann et al. `14] [Buschmann et al. `14]



# SM-like couplings

A word of caution



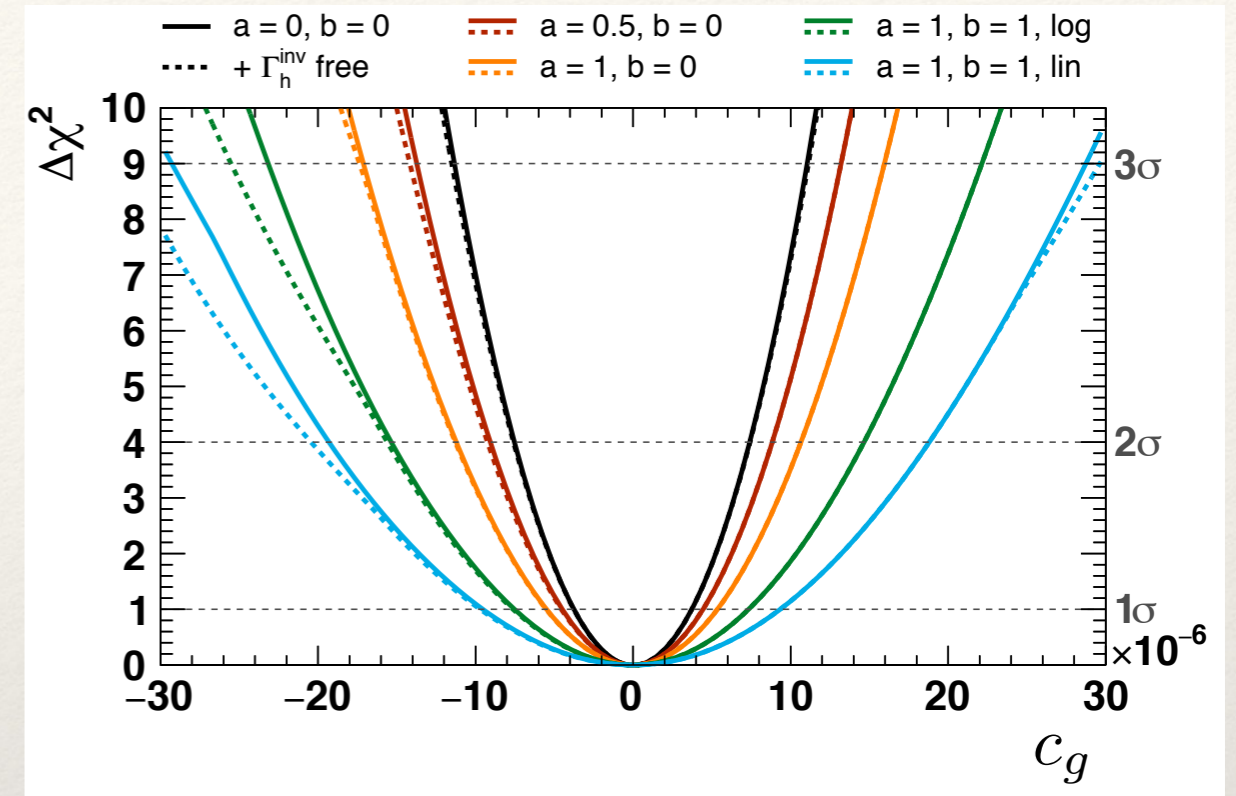
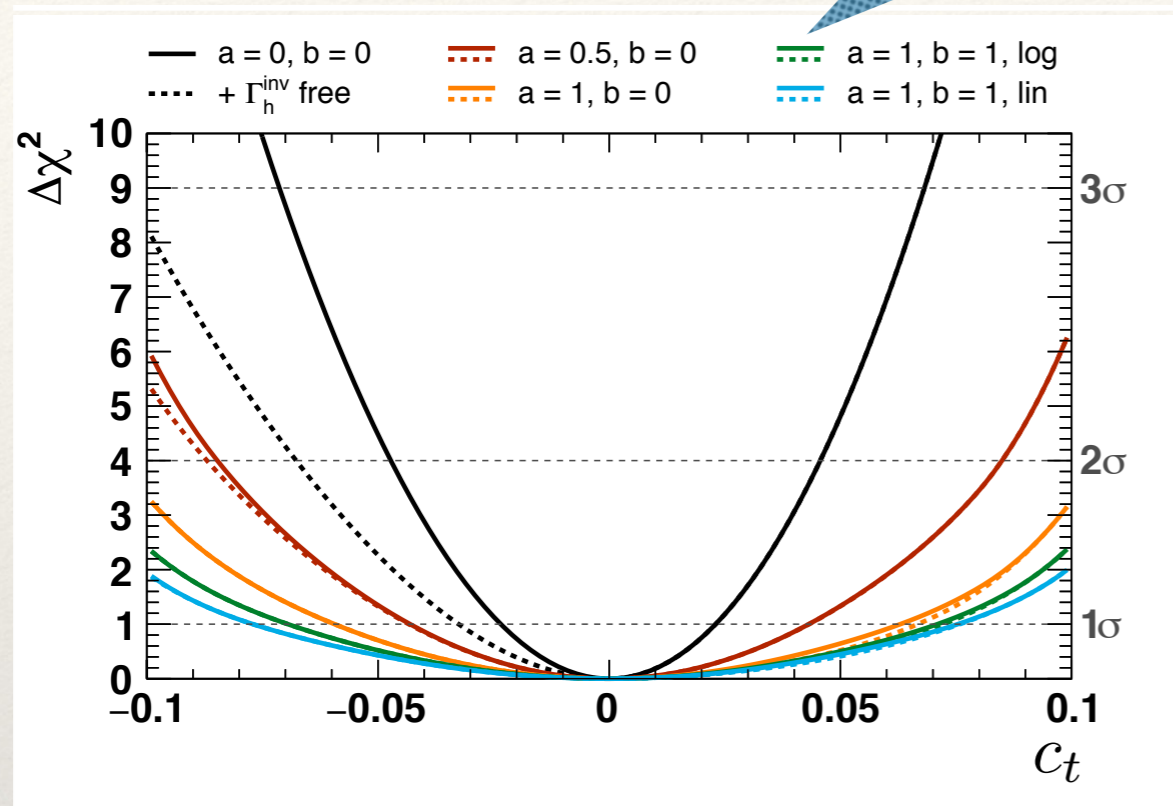
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steer  $p_T(H)$  shape uncertainty

# Role of uncertainties



- comparably small impact of tail uncertainties (lin vs log  $\sim 35\%$  different shape uncertainty at 150 GeV  $p_T$ )
- **decoupled (non-resonant) new physics perturbatively constrained at relatively low transverse momentum**

large stats!

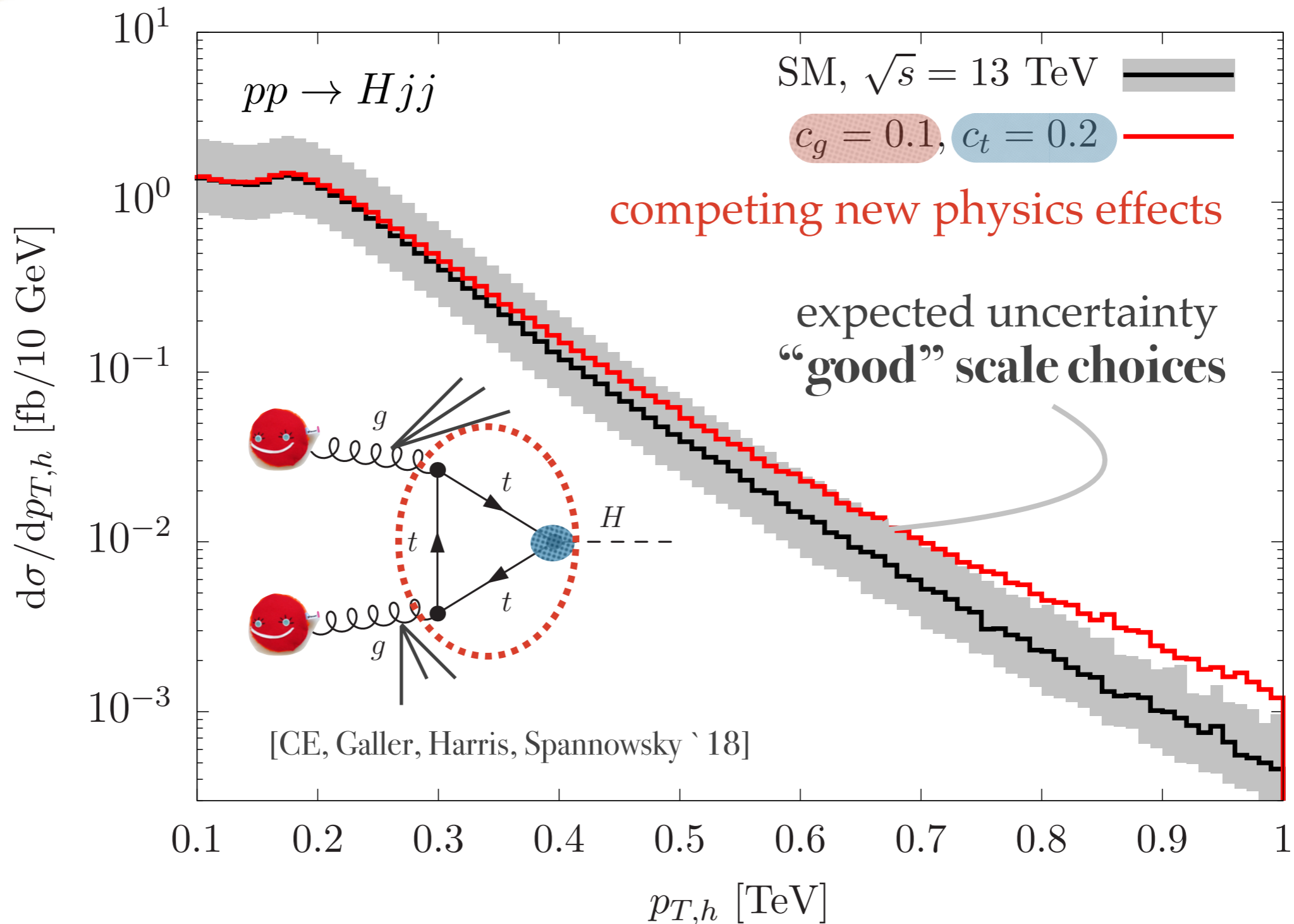
“fit will always pick region where null hypothesis is under good control”

similar conclusion hold for more abundant top final states

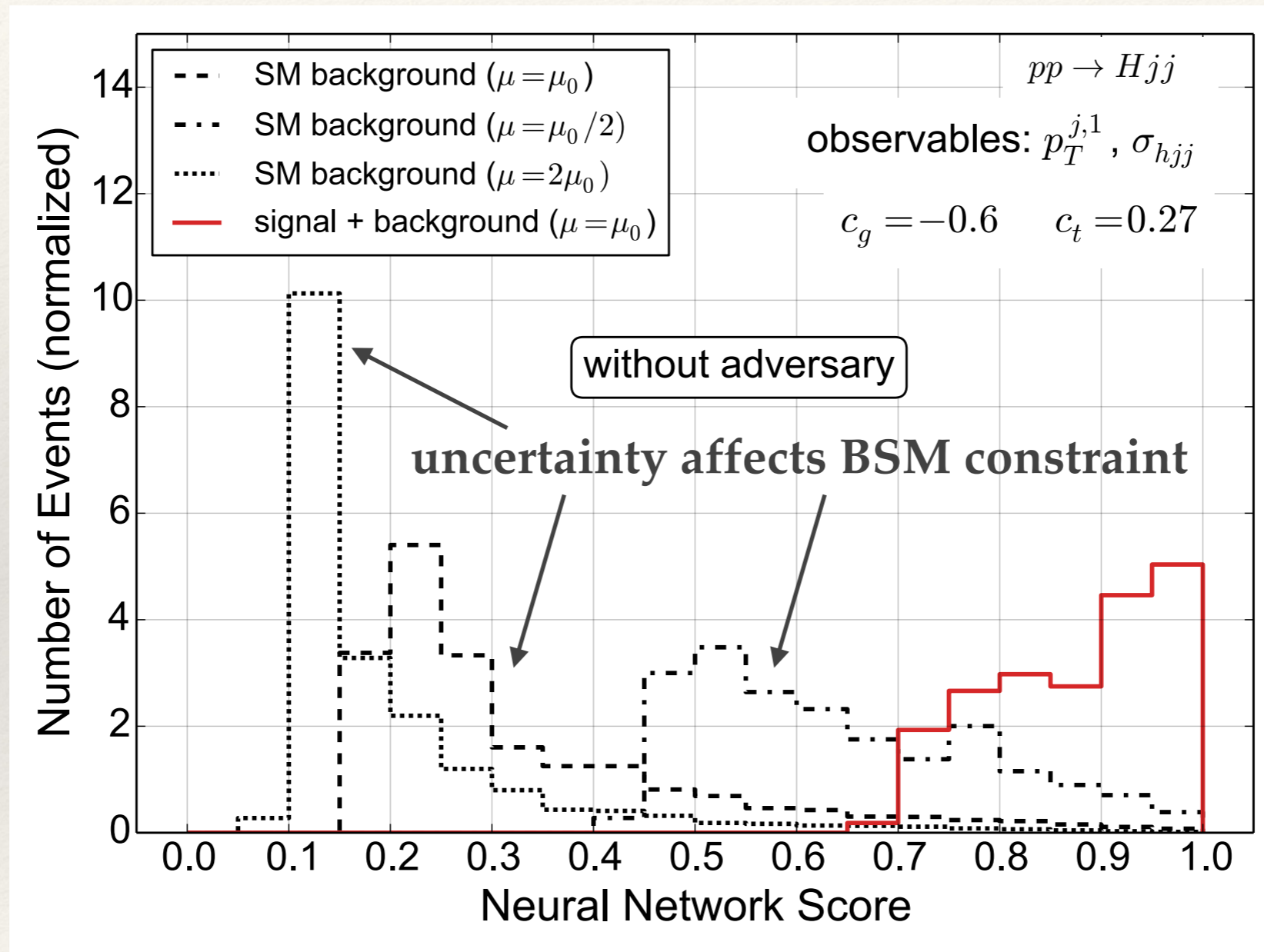
# SM-like couplings

- more kinematic information for  $H+2j$ , which is particularly promising, unfortunately  $m_t=\infty$  SM limit accidentally good

[Del Duca et al. '03]



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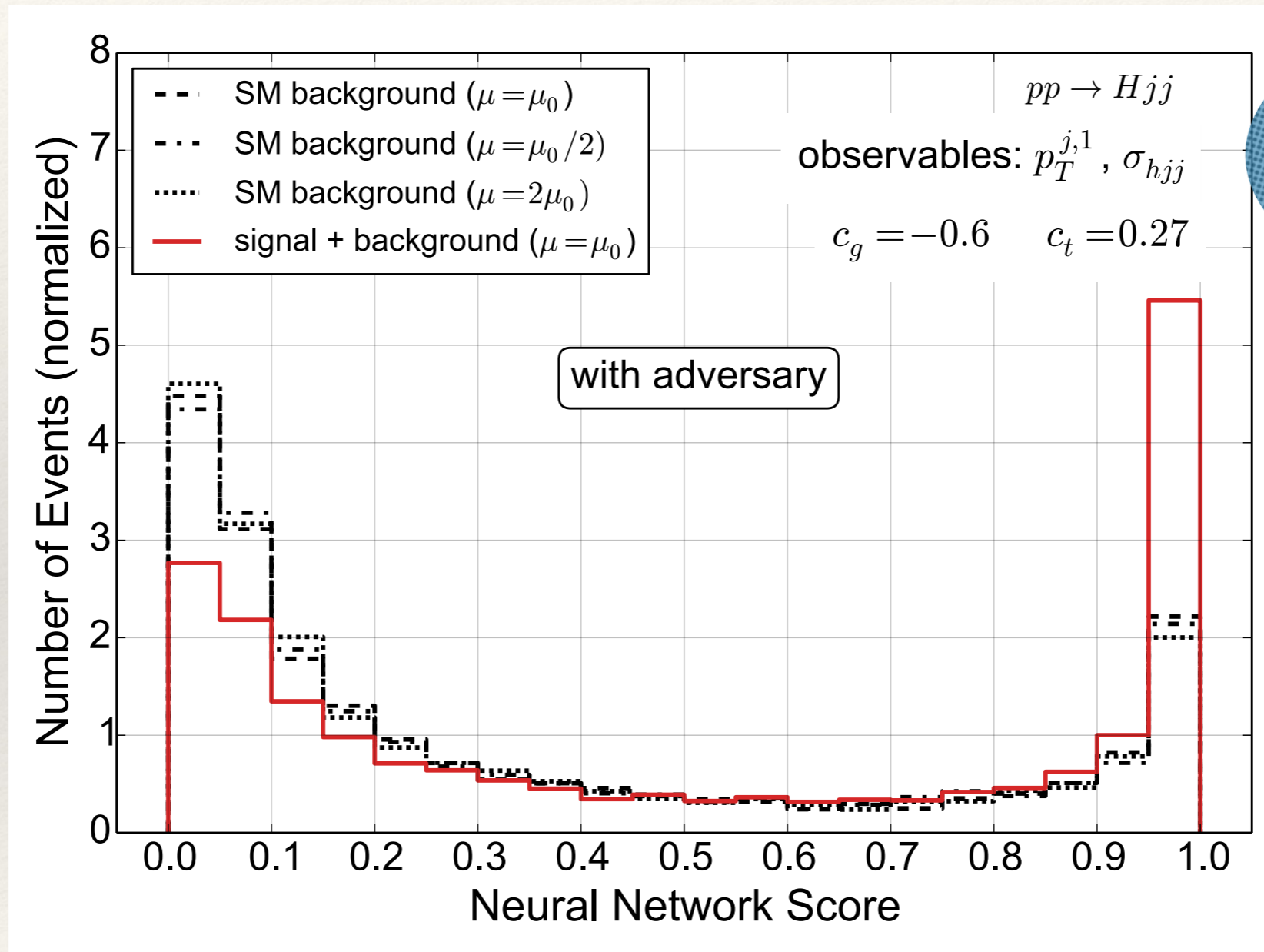


neural net learns regions that are sensitive to uncertainty....

# SM-like couplings

[CE, Galler, Harris, Spannowsky `18]

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Friday  
afternoon

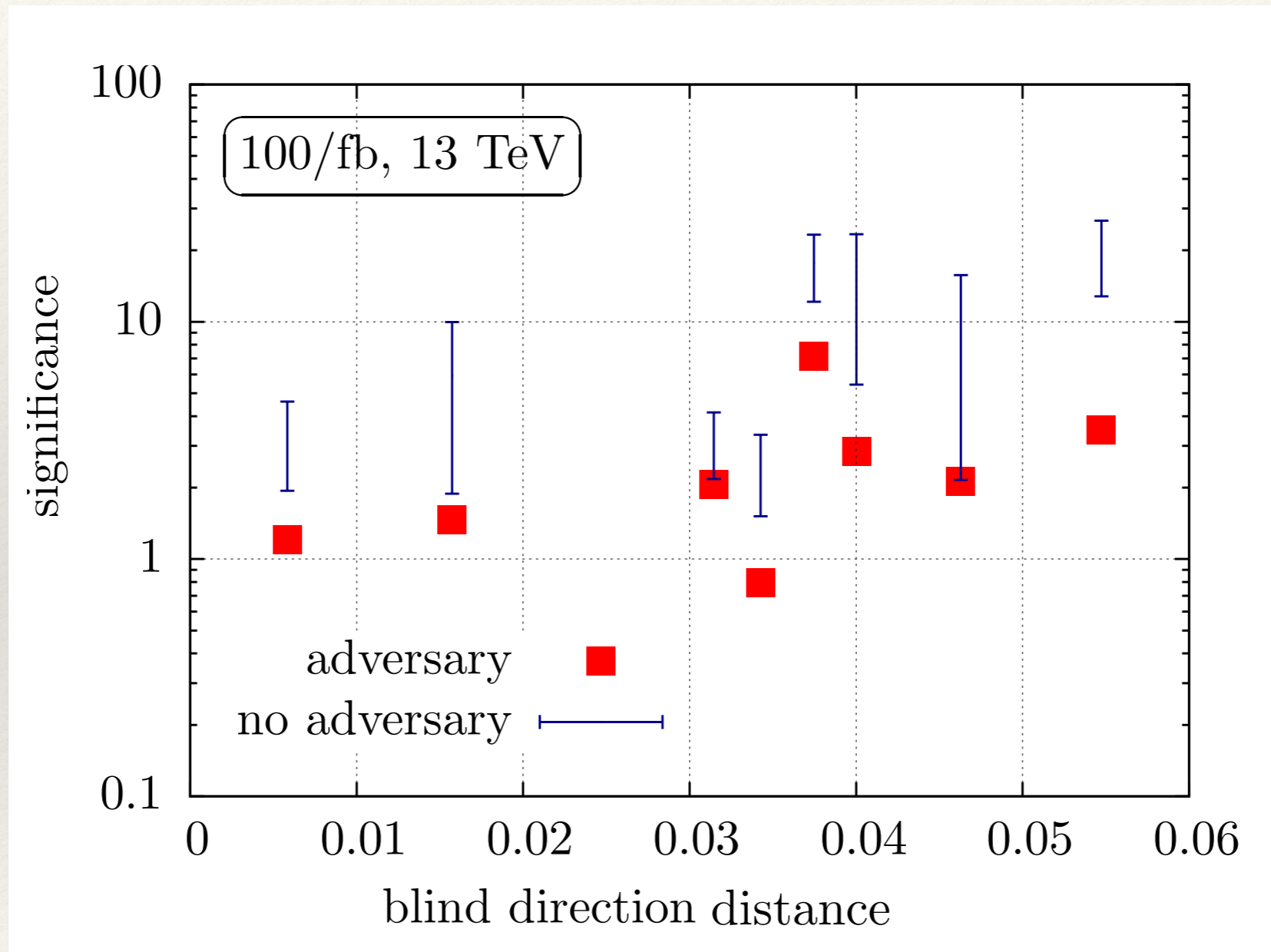
... and can be forced to avoid them → **most robust constraints**

[Goodfellow et al. `14] [Louppe, Kagan, Cranmer `16] ...

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# CP violation

Matthias' talk  
yesterday

- ▶ a repeating point of argument is inclusion of  $(\dim 6)^2$  as there is no clear right or wrong  $d\sigma = d\sigma^{\text{SM}} + d\sigma^{\{O_i\}} / \Lambda^2$

$$\sim 2 \operatorname{Re}\{\mathcal{M}_{\text{SM}} \mathcal{M}_{d=6}^*\}$$

matching

MC  
perturbativity

unitarity...

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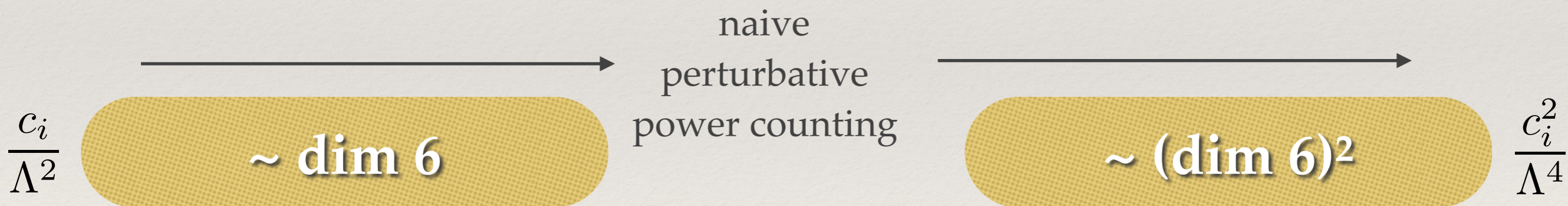
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- ▶ in practice this is (often) not a huge problem for large data samples
- ▶ qualitatively different for CP-violation:



- ▶ only genuinely CP-sensitive observables carry information

signed  $\Delta\phi_{jj}$ , asymmetries, ....

- ▶ every CP-even observable carries information

xsections, widths, pT spectra...

# CP violation

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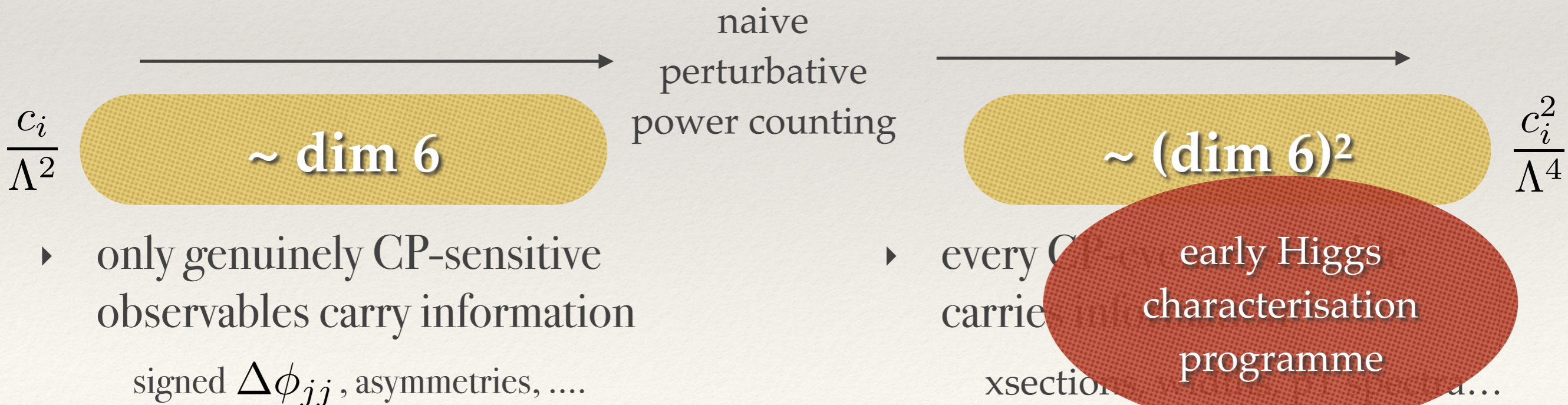
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# CP violation

[Bernlochner, CE, Hays, Lohwasser, Mildner, Pilkington, Price, Spannowsky '18]

## ▶ the linearised upshot

$$\begin{aligned}
 O_{H\tilde{G}} &= H^\dagger H G^{a\mu\nu} \tilde{G}_{\mu\nu}^a, \\
 O_{H\tilde{W}} &= H^\dagger H W^{a\mu\nu} \tilde{W}_{\mu\nu}^a, \\
 O_{H\tilde{B}} &= H^\dagger H B^{\mu\nu} \tilde{B}_{\mu\nu}, \\
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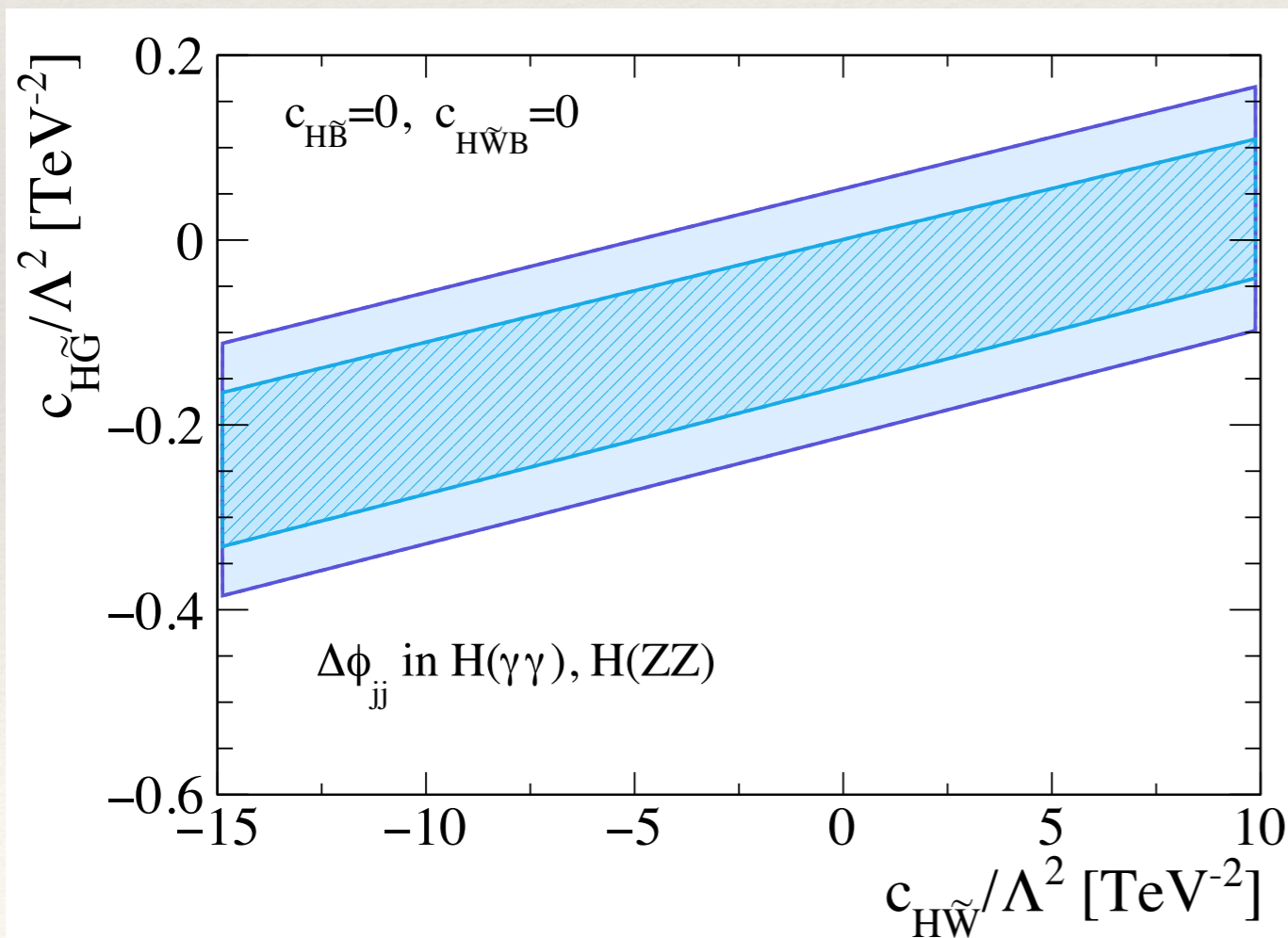
+

$$\sim \frac{\alpha_s}{8\pi v} G_{\mu\nu}^a \tilde{G}^{a\mu\nu} h = \tilde{O}_G$$

top quark

Yukawa phases

*...ignore them for now...*



- fit uses ATLAS results for 4 leptons,  $\gamma\gamma$

[ATLAS 1708.02810; 1802.04146]

- small stats/observables = blind directions for decay vs production
- non-significant asymmetry

**$0.3 \pm 0.2$**

# CP violation

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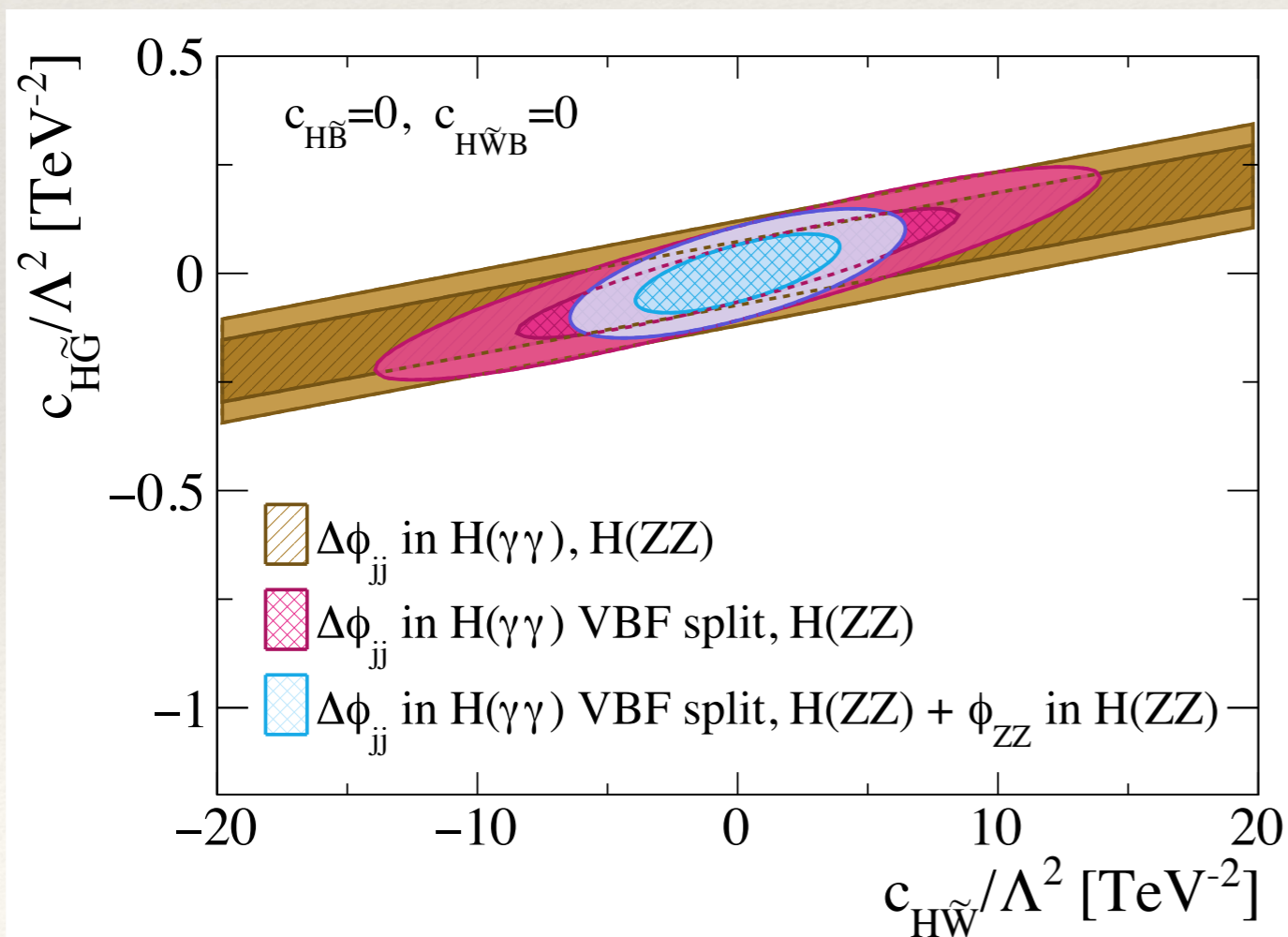
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- could already narrow this down at 36/fb by using
  - GF vs VBF selections
  - lepton decay plane angles

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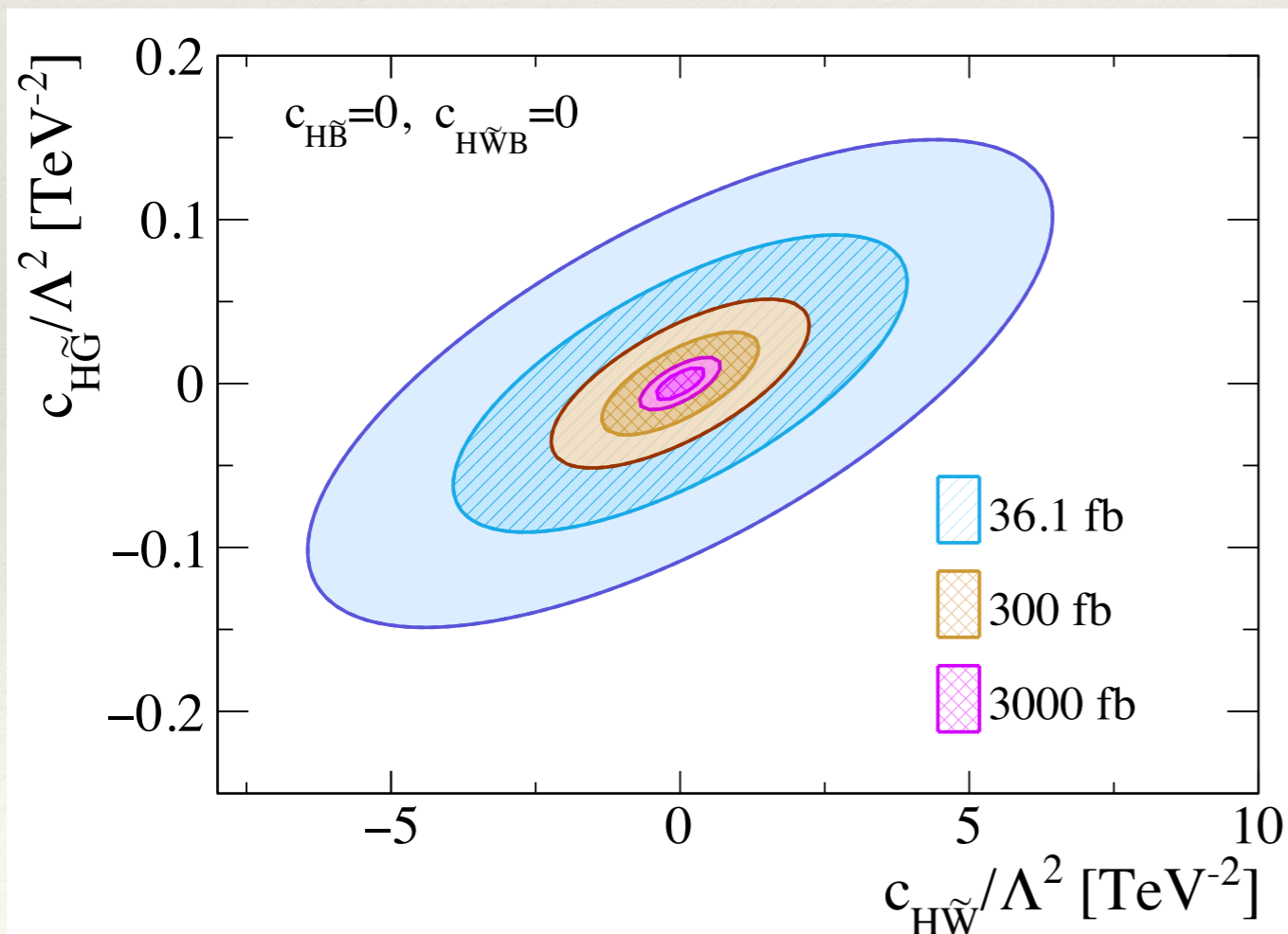
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## LHC and HL-LHC extrapolations

Coefficient [TeV <sup>-2</sup> ]	36.1 fb <sup>-1</sup>	300 fb <sup>-1</sup>	3000 fb <sup>-1</sup>
$c_{H\tilde{G}}/\Lambda^2$	[-0.19, 0.19]	[-0.067, 0.067]	[-0.021, 0.021]
$c_{H\tilde{W}}/\Lambda^2$	[-11, 11]	[-3.8, 3.8]	[-1.2, 1.2]
$c_{H\tilde{B}}/\Lambda^2$	[-5.9, 5.9]	[-2.1, 2.1]	[-0.65, 0.65]
$c_{H\tilde{W}B}/\Lambda^2$	[-14, 14]	[-4.9, 4.9]	[-1.5, 1.5]

- ▶ lifting top-specific blind directions

$$O_{H\tilde{G}} = H^\dagger H G^{a\mu\nu} \tilde{G}_{\mu\nu}^a +$$

top quark

$$\sim \frac{\alpha_s}{8\pi v} G_{\mu\nu}^a \tilde{G}^{a\mu\nu} h = \tilde{O}_G$$

top Yukawa phase

[Del Duca et al. '03]

- ▶  $m_t \rightarrow \infty$  SM limit accidentally good

large stats / kin.  
coverage necessary

- ▶ split GF selection into  $m_t$ -related Higgs  $p_T$  threshold  $\sim 150$  GeV

# CP violation

[CE, Galler, Pilkington, Spannowsky in prep.]

- lifting top-specific blind directions

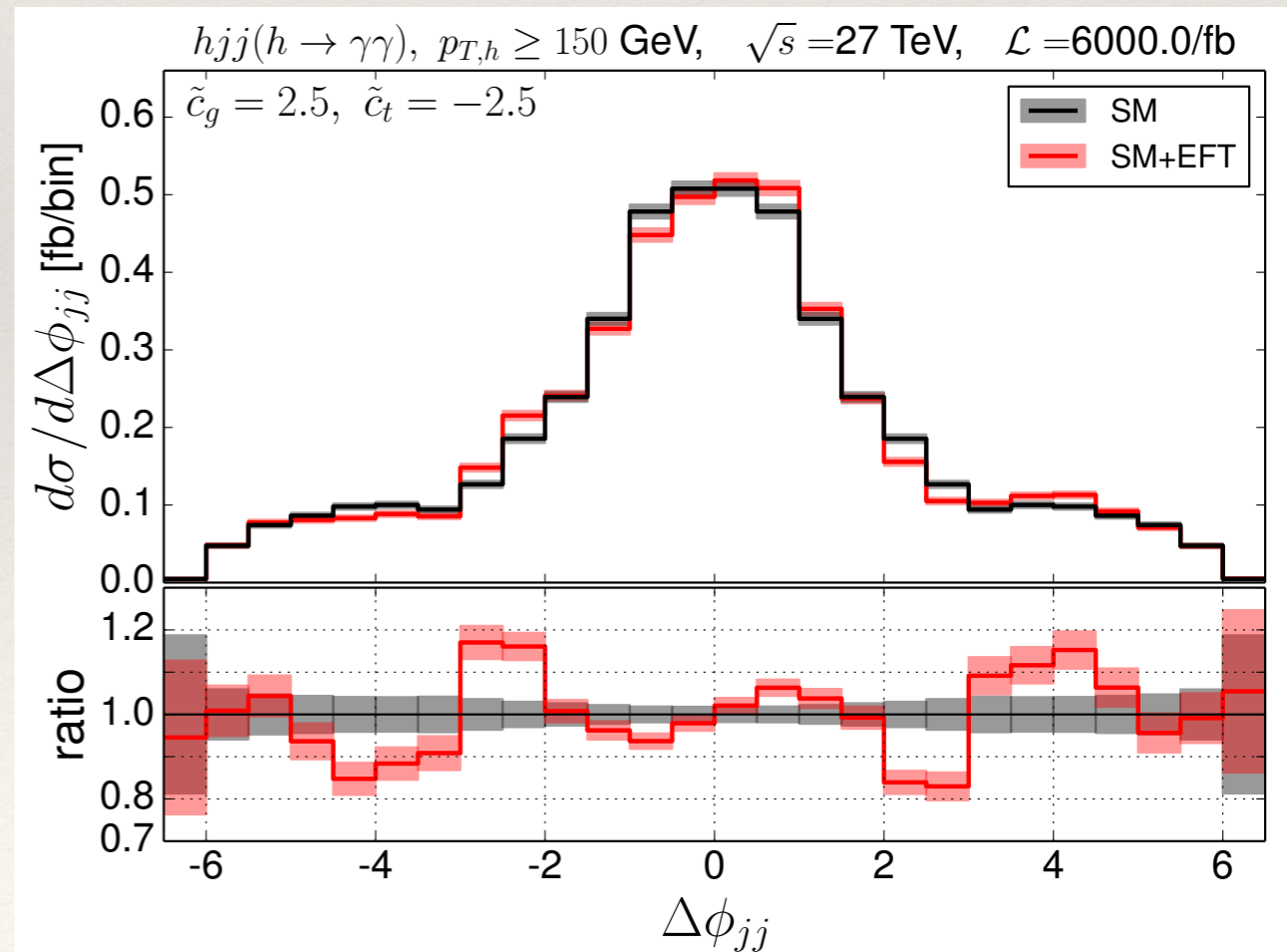
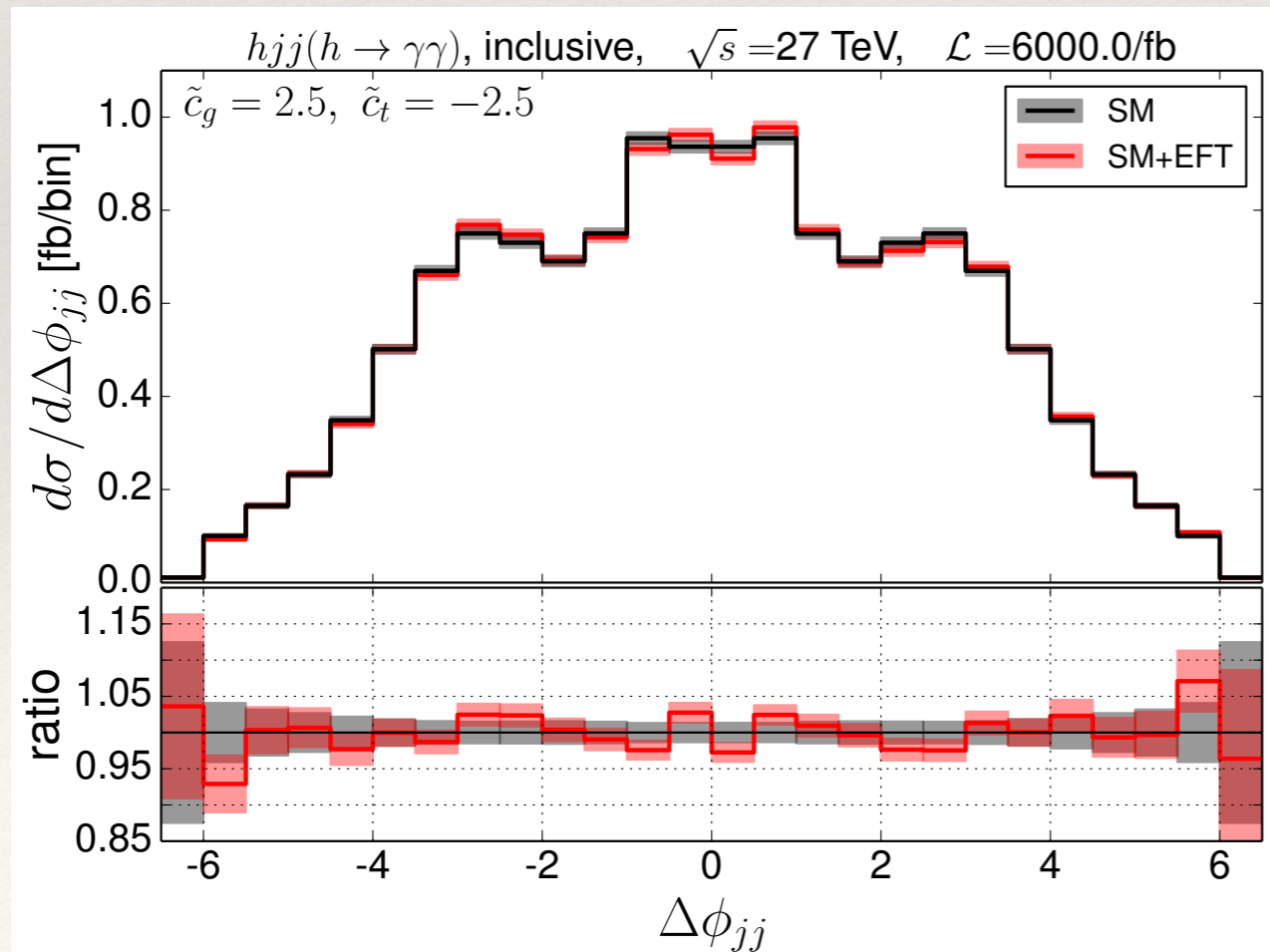
top quark

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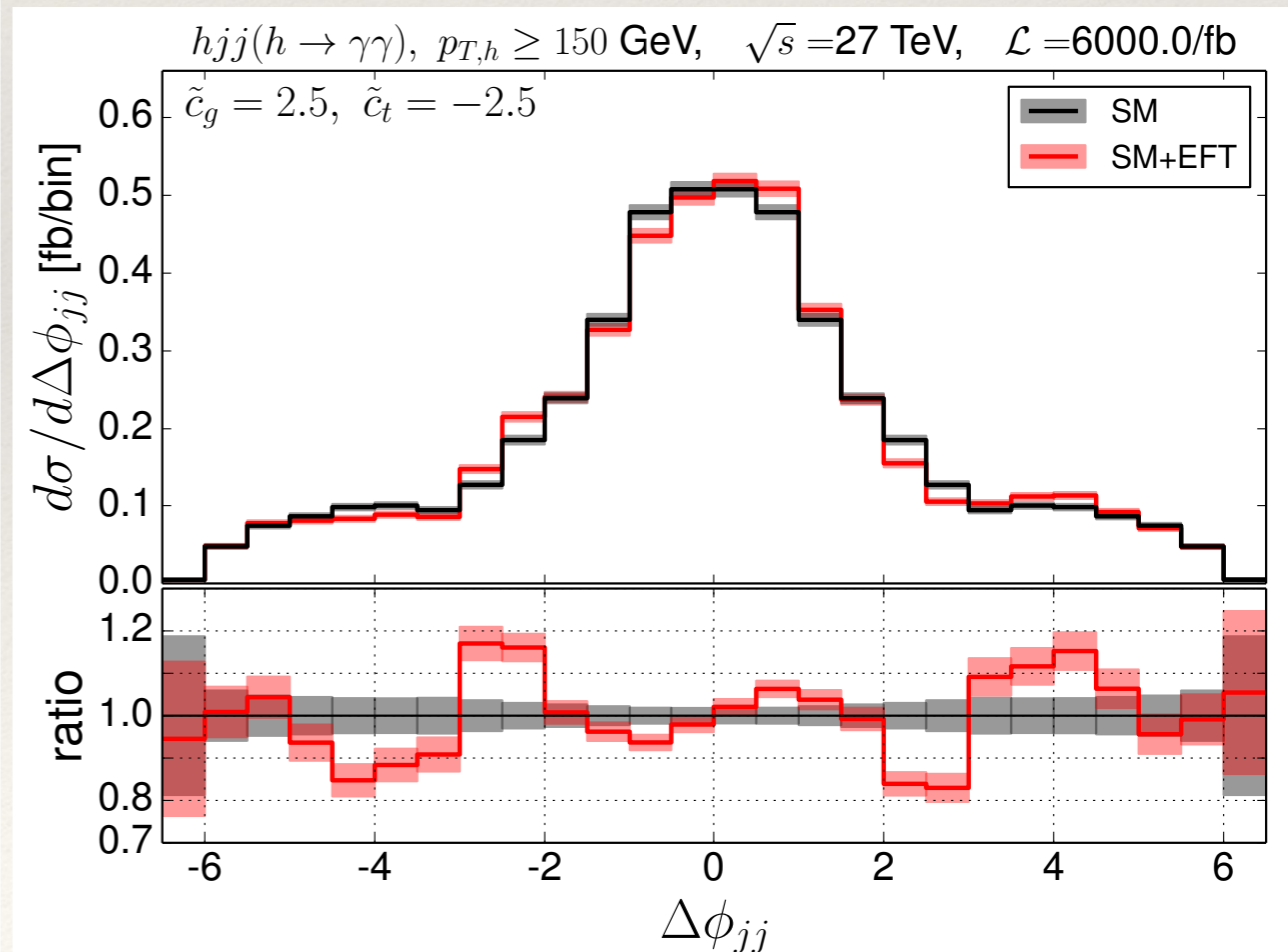
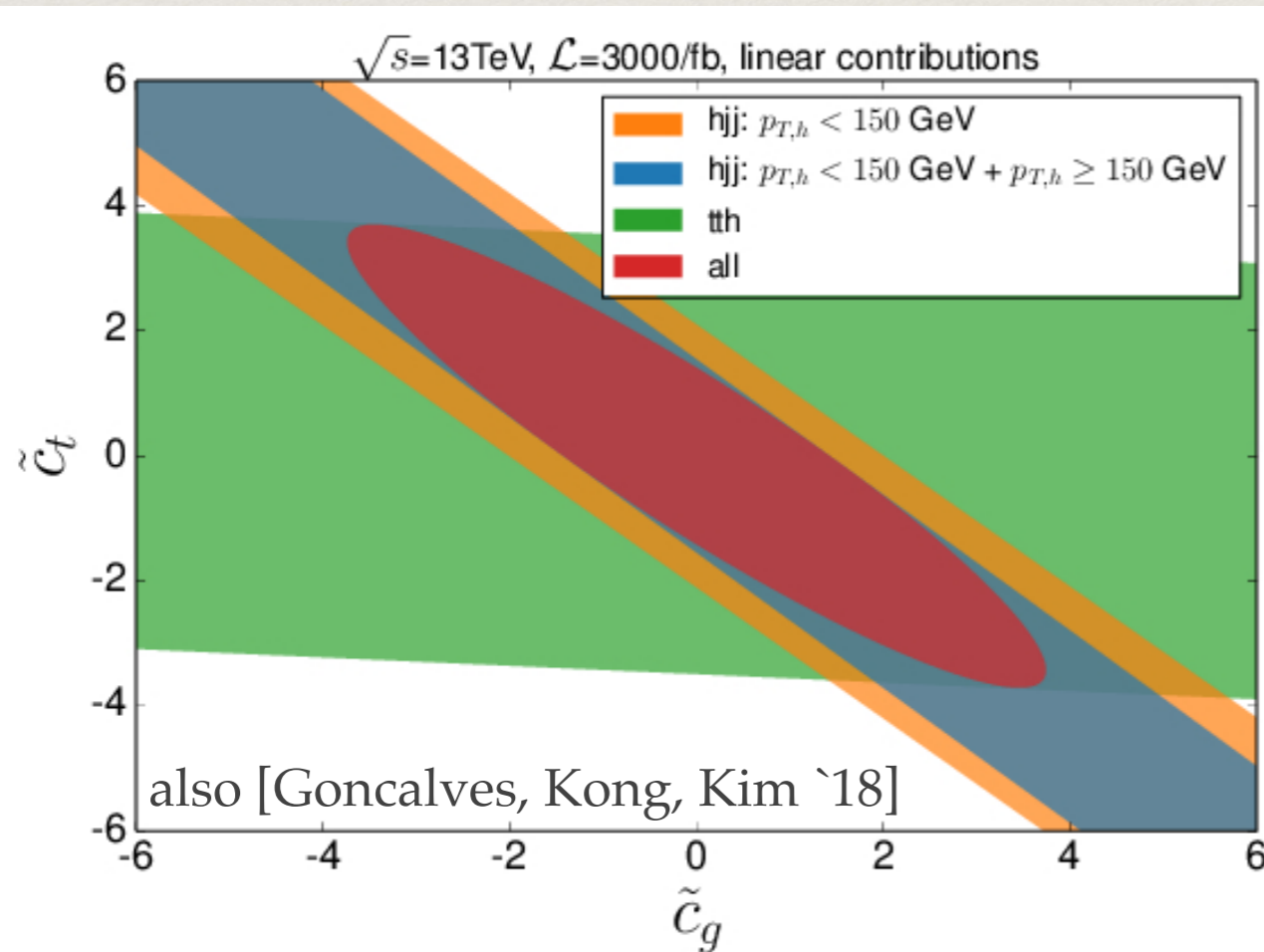
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# HH pheno

# LHC blind spots: Higgs potential

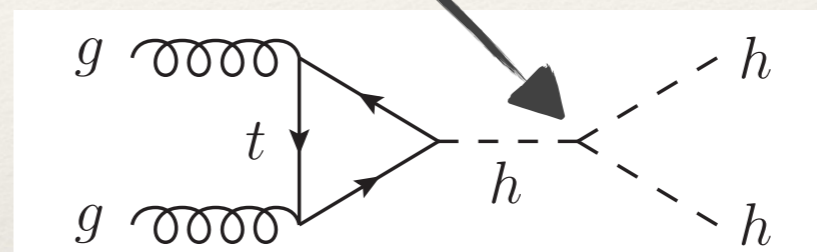
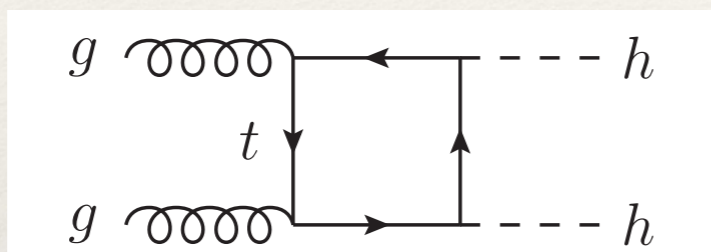
- ▶ dimension 6 deformations of the Higgs potential

$$V(H^\dagger H)_6 \supset c_6/\Lambda^2 (H^\dagger H)^3$$

e.g.

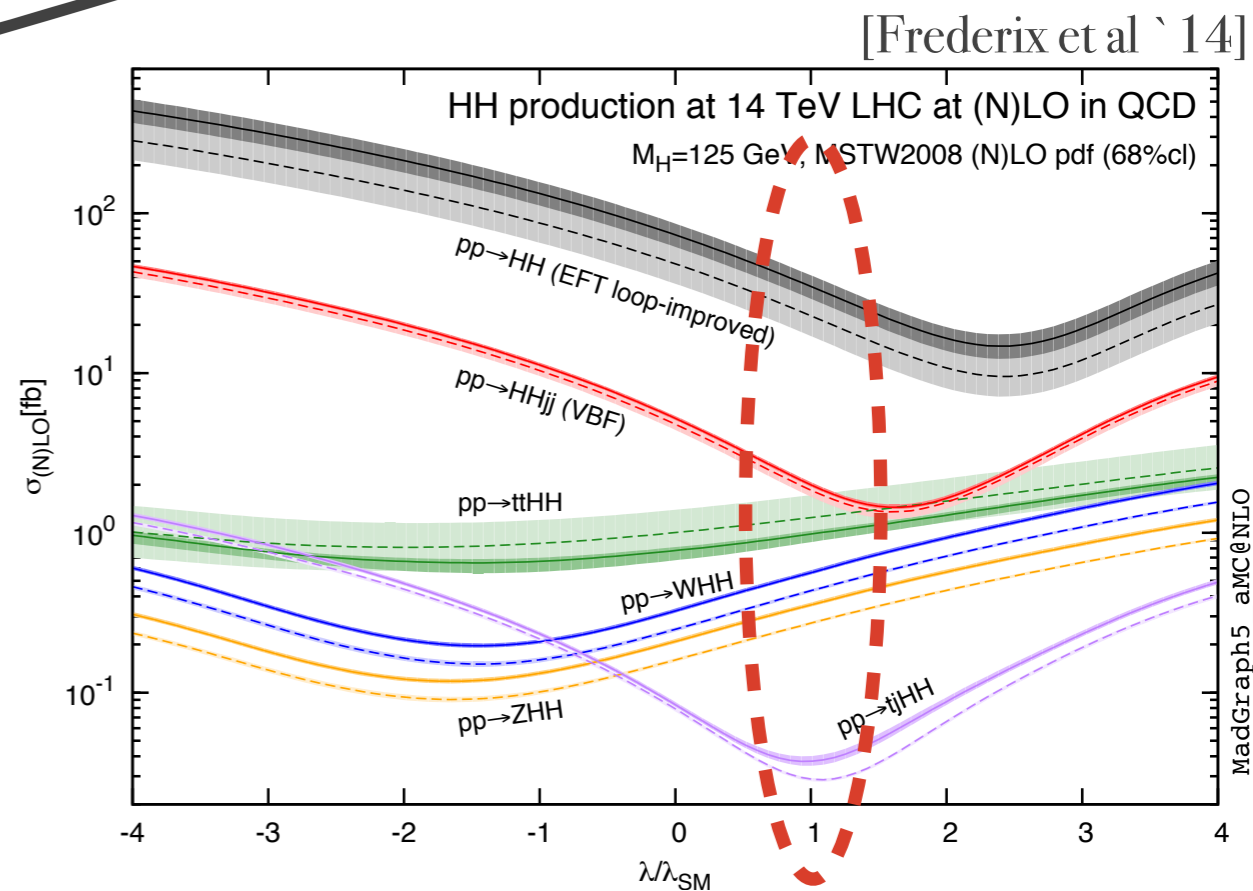
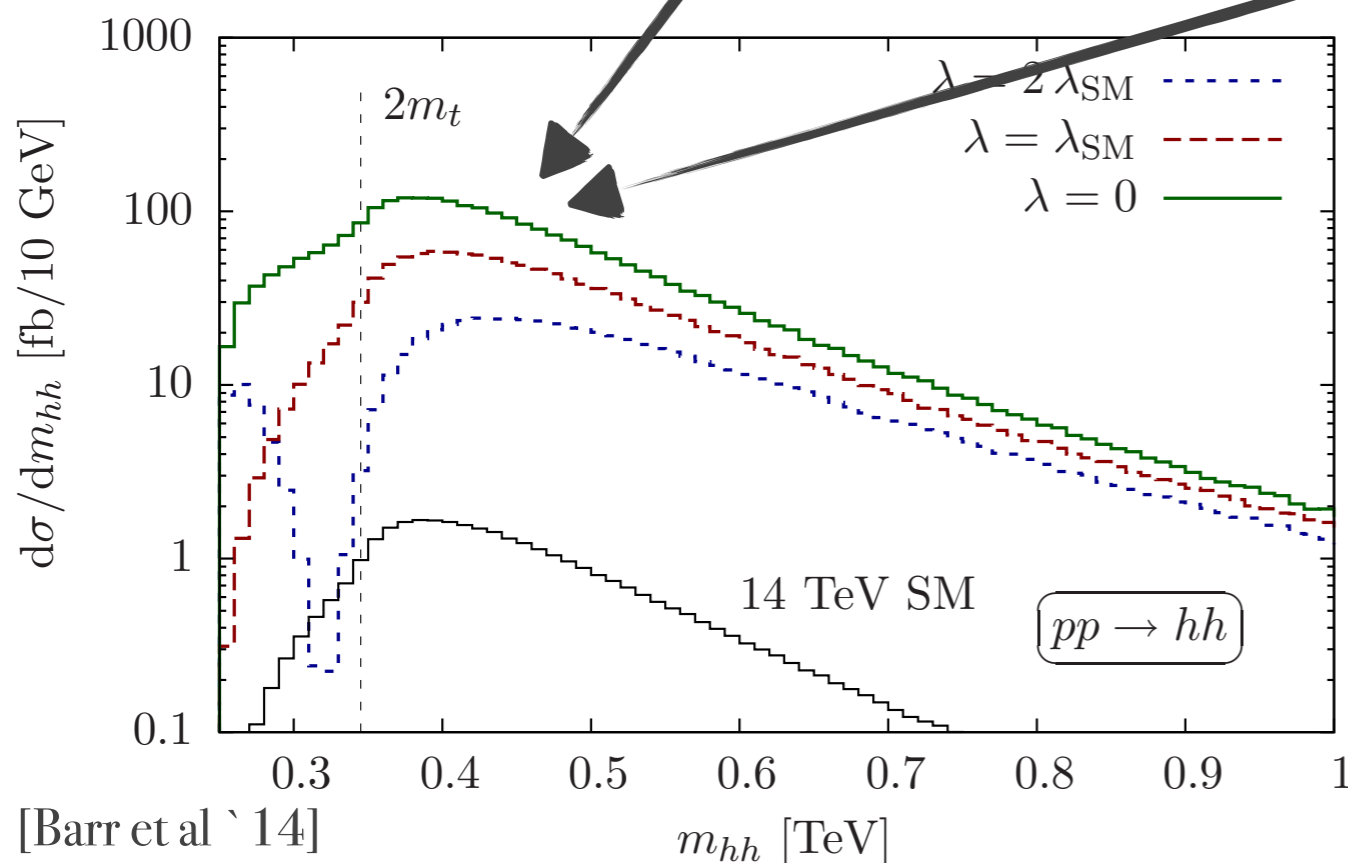
[Giudice, Grojean, Pomarol, Rattazzi '07]

modify Higgs self-interactions. Large top-threshold interference.

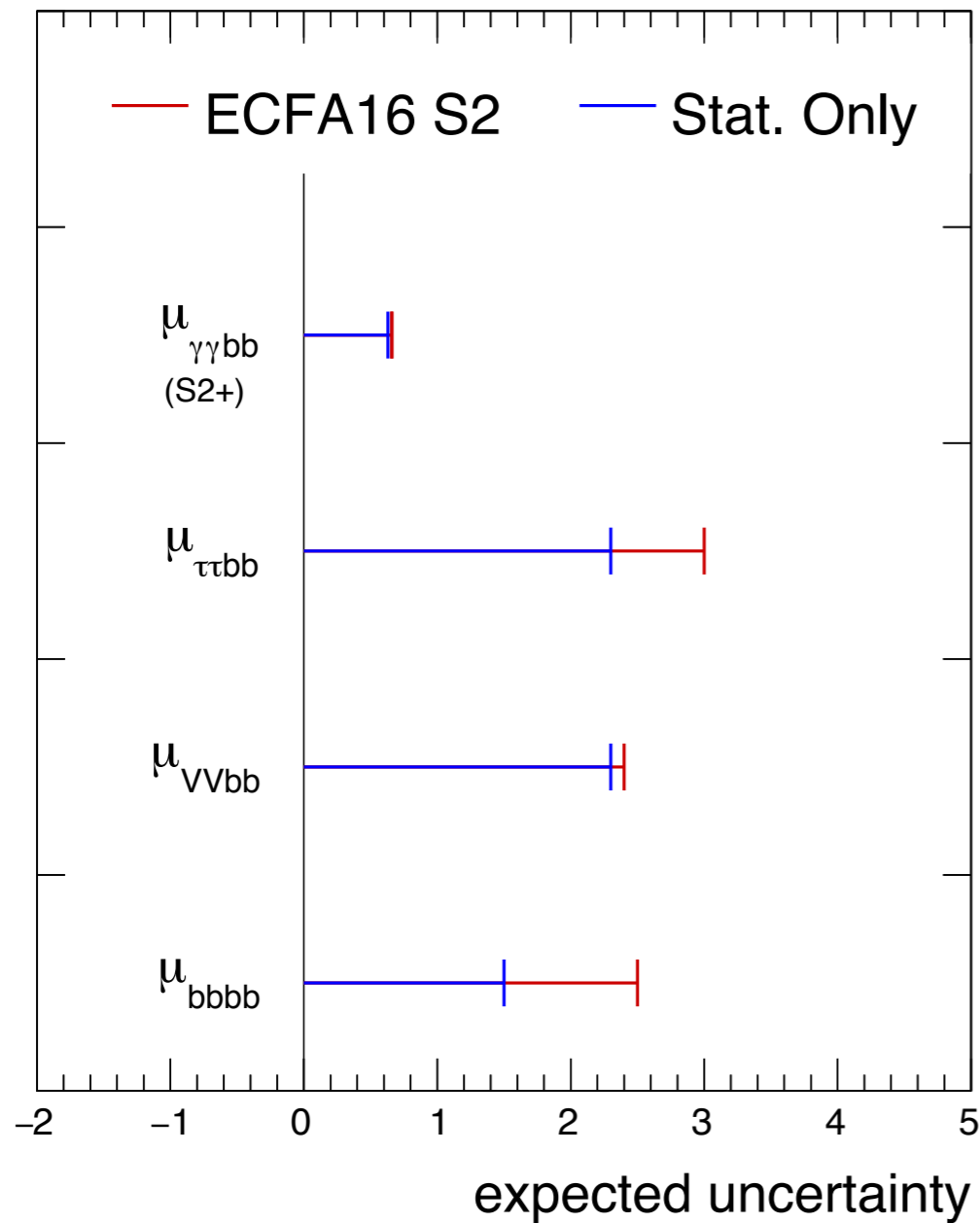


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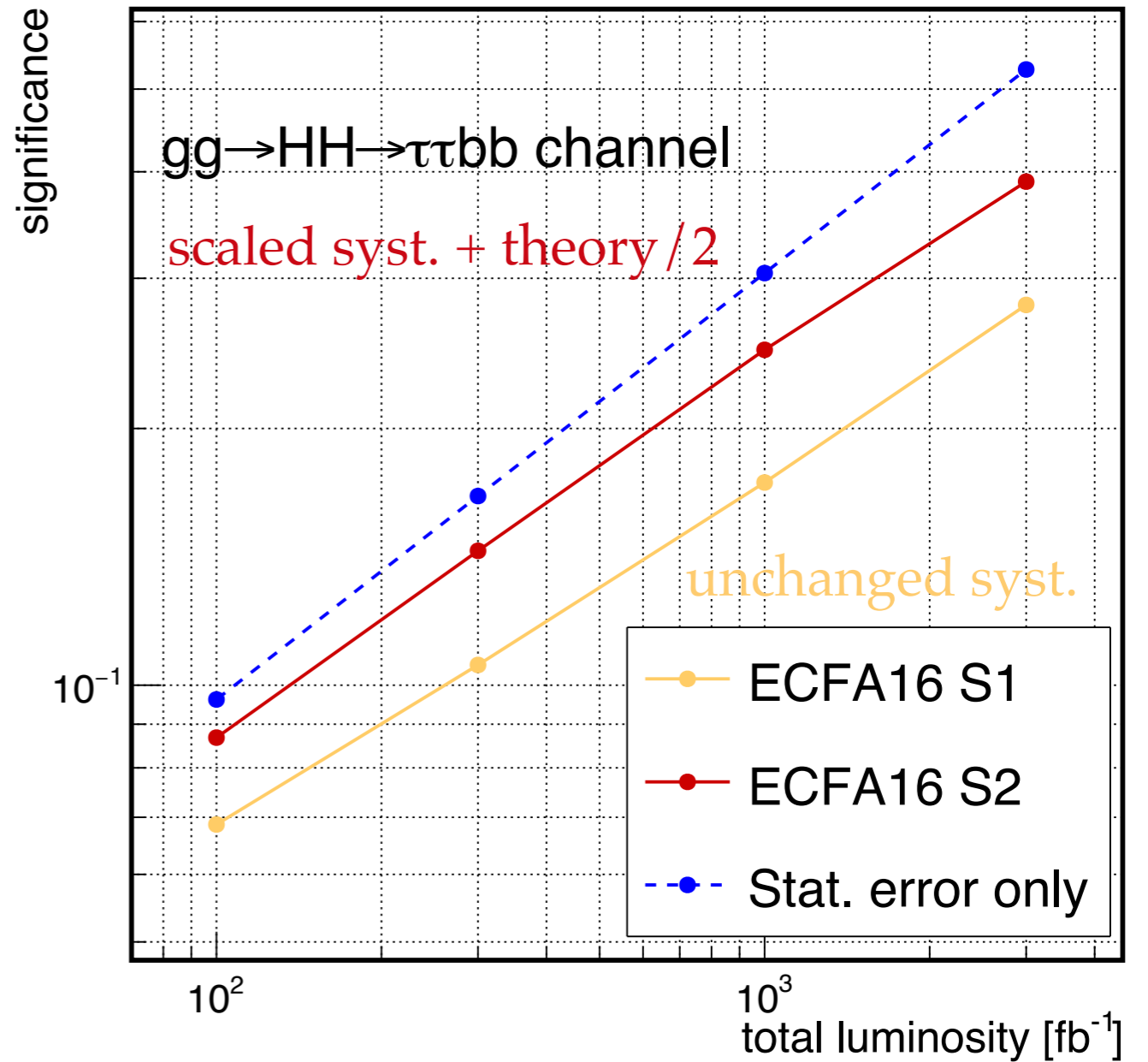
[Glover, van der Bij '88]



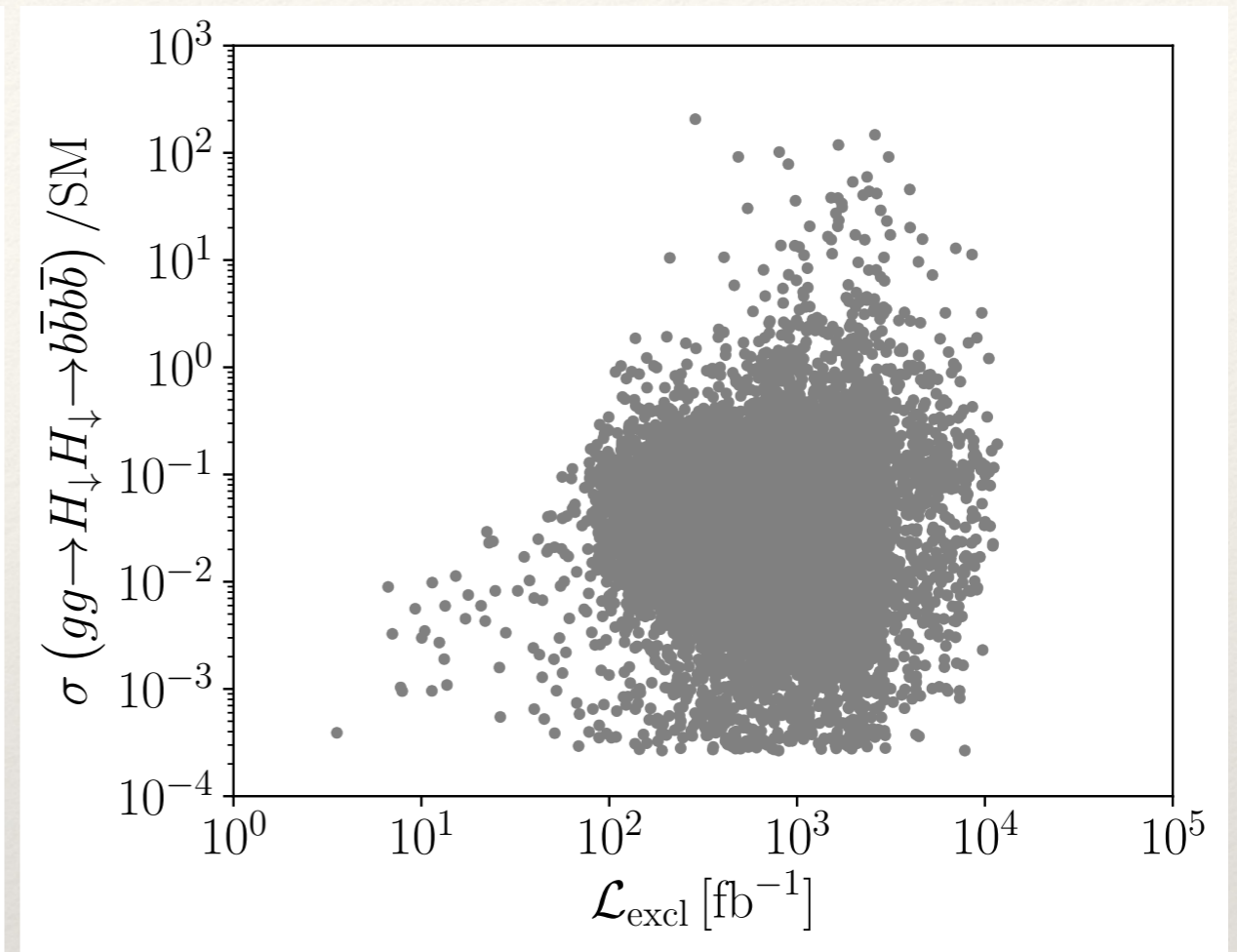
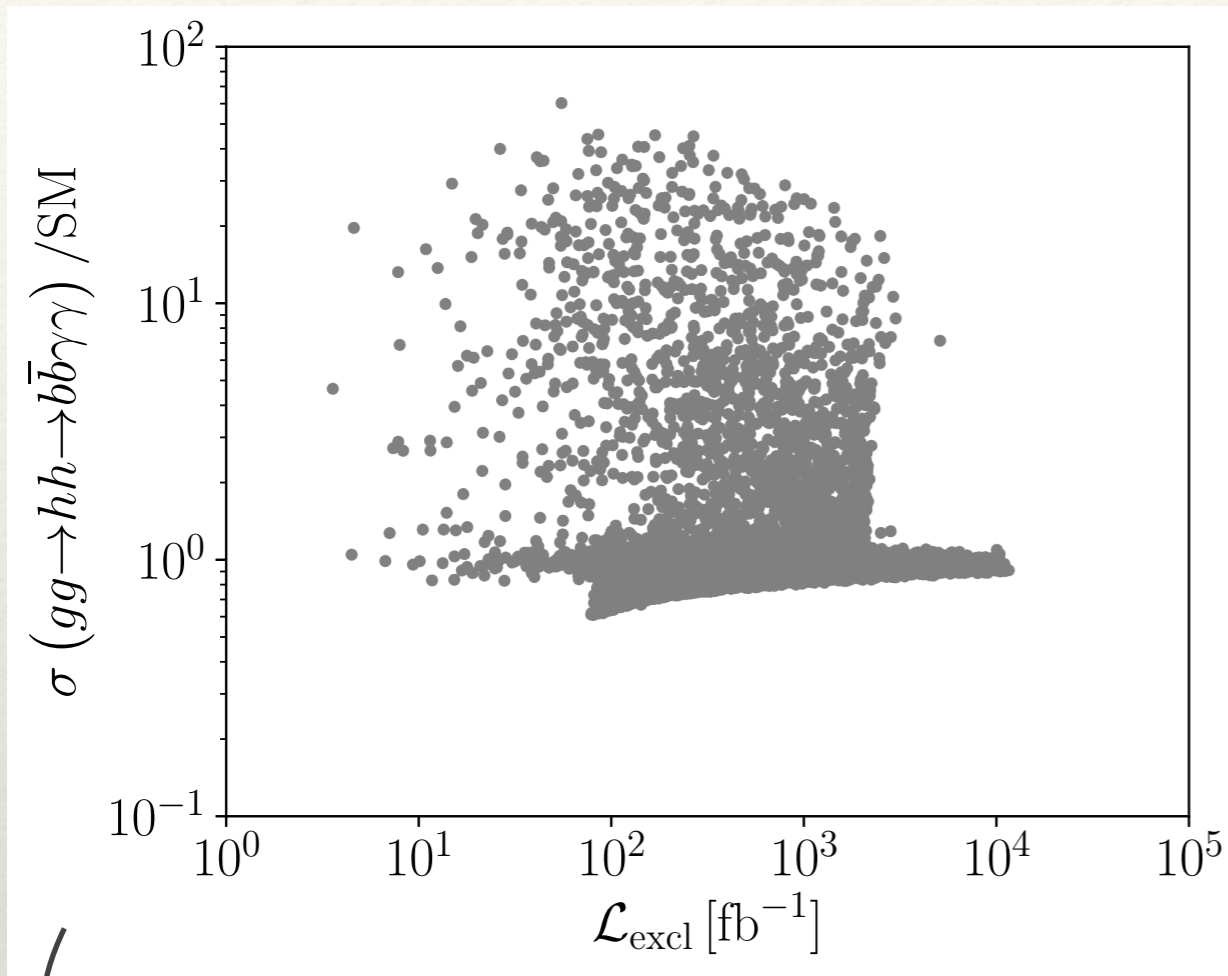
**CMS** Projection  $\sqrt{s} = 13$  TeV SM  $gg \rightarrow HH$



**CMS** projection (13 TeV)



[Basler, Dawson, CE, Mühlleitner `18]



SM-like measurements can show a plethora resonant anomalies  
 diHiggs final states important for BSM discovery

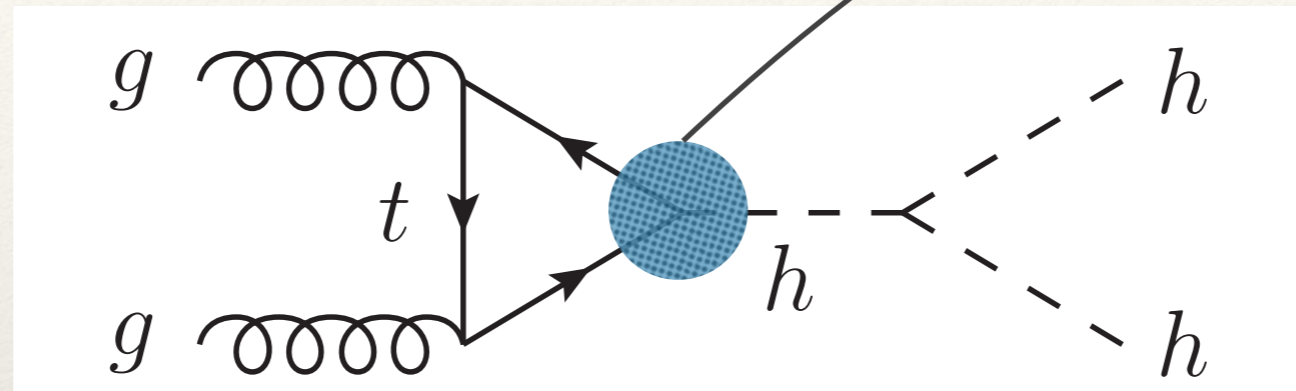
...diHiggs final states quickly lose relevance when approaching EFT limit

# HH pheno

## LHC blind spots: Higgs potential

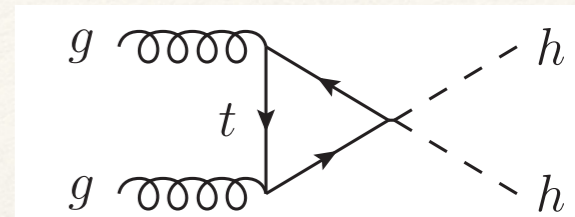
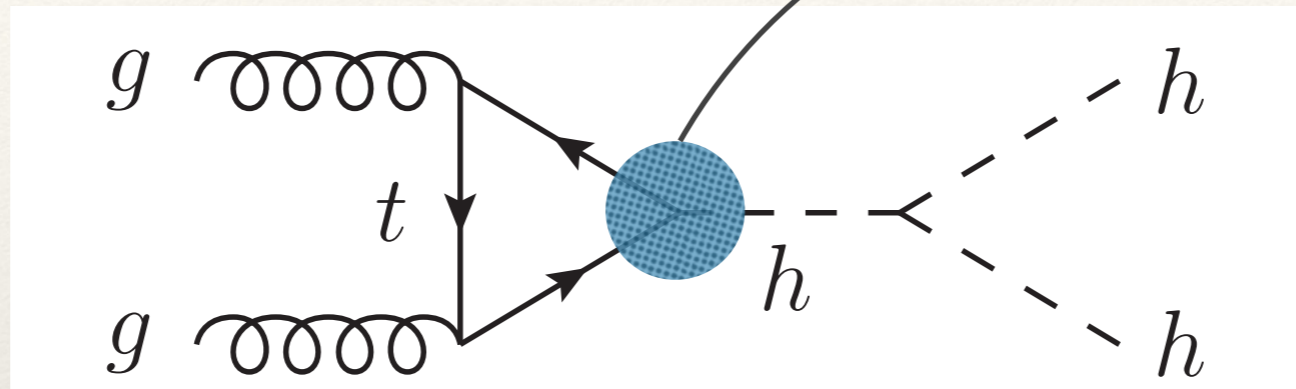
▶ however...

correlated with on-shell Higgs phenomenology



- ▶ however...

correlated with on-shell Higgs phenomenology  
broken by  $\sim \bar{t}th^2/\Lambda \dots$

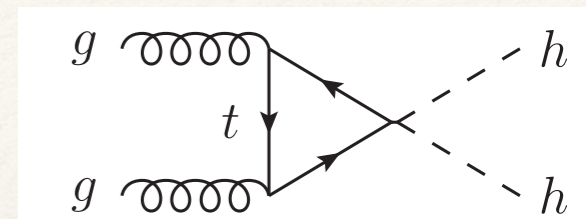
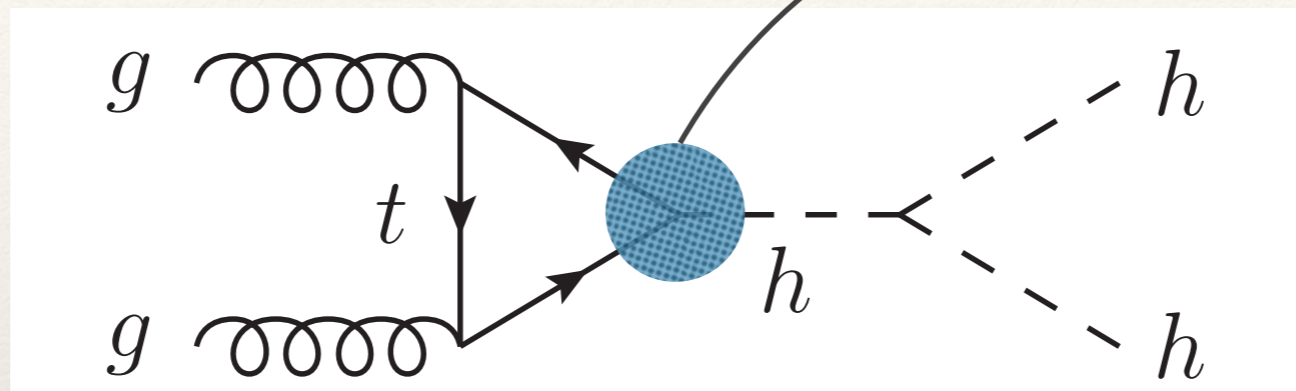


[Gröber, Mühlleitner '10]

- ▶ easy to arrange EFT coefficients in a way to get spectacular rates, but can doubt physical relevance of such limits ( $\rightarrow$  matching)

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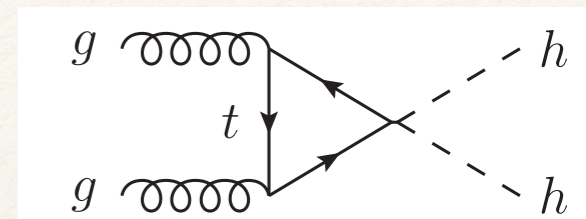
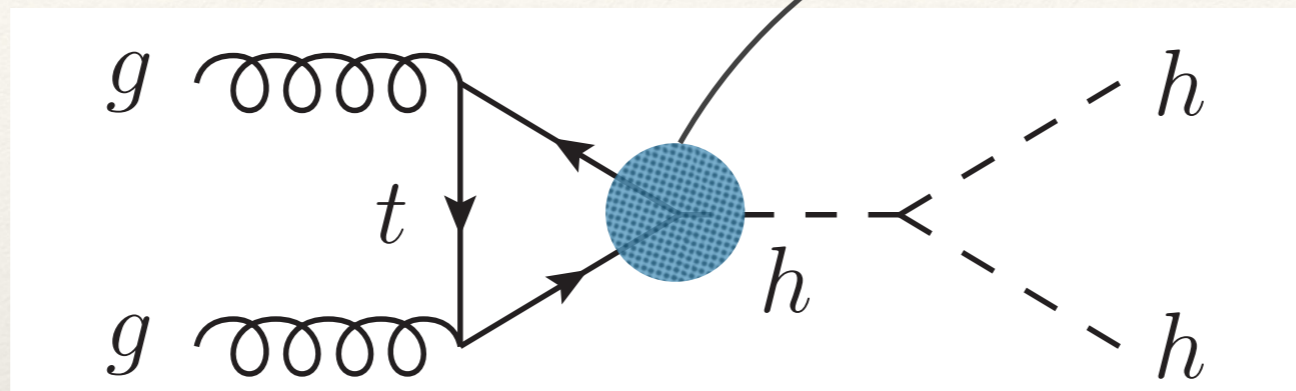


[Gröber, Mühlleitner '10]

- ▶ easy to arrange EFT coefficients in a way to get spectacular rates, but can doubt physical relevance of such limits ( $\rightarrow$  matching)
- ▶ use concrete Higgs sector extensions
  - ▶ extrapolate 125 GeV signal strengths
  - ▶ extrapolate exotic Higgs searches
  - ▶ additional constraints (*electron EDMs, flavor, perturbativity, ...*)

- ▶ however...

correlated with on-shell Higgs phenomenology  
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in how far are di-Higgs final states still relevant at 3/ab?

[Basler, Dawson, CE, Mühlleitner '18]

## above Higgs pair threshold

- (multi) resonant diHiggs production (hh, hH,...)

opportunity for diHiggs

Higgs interactions dominant

exotics with large couplings to tops

top interactions dominant

## above top pair threshold

- tt final states preferred
- analysis highly model-dependent due to dedicated S-B interference

## below top pair threshold

- compressed spectra
- single Higgs competitive  
~except b-final states  
(*trigger etc...*)

opportunity for diHiggs



- ▶ *Technical advances have been extremely rapid*
  - ▶ matrix elements
  - ▶ jets
  - ▶ machine learning
  - ▶ coupling extraction
- ▶ *Opportunity to link the Higgs sector to new physics*
  - ▶ cure SM shortcomings
  - ▶ LHC probably not be enough to achieve this
  - ▶ multi-Higgs production as a chance for BSM

Friday afternoon

Today/Friday